

ELEC 377 – Operating Systems

Week 2 – Class 3

Last Class

- Direct vs Indirect Communication
- Synchronization & Buffering
- Threads
- Started Synchronization

Next Week

- Quiz #1 on Tuesday
- ◇ Covers everything up to the end of Monday's class
- ◇ Covers material from first week

Notes

- Labs:

You need a C reference Manual

- you will be programming in C in 4th year, and after you graduate

- good investment

- Douglas Library - QA 76.73 .C

Today

- Synchronization

Process Synchronization

- Most Important Part of the Course and Text
- Concurrent access to shared resources
 - ◇ data inconsistency
 - ◇ need some mechanism to control access to shared resources

Synchronization Example

Account Deposit

...

`account = account + deposit`

...

Account Withdrawl

...

`account = account - withdrawl`

...

Synchronization Example

Account Deposit

+\$ 100

...

mov account, reg1

\$ 5,243

add deposit, reg1

1 \$ 5,343 INT

move reg1, account

3 \$ 5,343

...

Account Withdrawl

-\$ 100

...

mov account, reg1

\$ 5,243

sub withdrawl, reg1

2 \$ 5,143 INT

move reg1, account

4 \$ 5,143

...

Process Synchronization

- Race Condition
 - ◇ Several process handle shared resources
 - ◇ Final value depends on who finishes first
- To prevent race conditions, concurrent processes must be synchronized
 - ◇ train signaling problem

Critical Sections

Account Deposit

...

```
mov account, reg1  
add deposit, reg1  
move reg1, account
```

]

critical section

...

Account Withdrawl

...

```
mov account, reg1  
sub withdrawl, reg1  
move reg1, account
```

]

critical section

...

Critical Sections

- several processes competing for access to some shared data
- The sections of code where the shared data is accessed and/or modified is called a critical section (each process has its own critical section[s])
- **Problem:**
 - ◇ Only **one** process is allowed in its critical section at a time.

Critical Sections - Requirements

- **Mutual Exclusion** - only one
- **Progress** - if there is no process in a critical section, and more than one process want to enter their critical section, then the selection of a process cannot be postponed indefinitely
- **Bounded Waiting** - once a process is waiting, the other processes can only enter and leave a bounded number of times (no starvation)

Critical Sections - General Model

```
do {  
    entry section  
  
        critical section  
  
    exit section  
  
        remainder section  
  
} while (1);
```

Two Processes - Algorithm 1

- Shared Variables
int turn (initially 0)

- Process P_i
do {
 while (turn \neq i);
 critical section
 turn = j;
 remainder section
} while (1);

Two Processes - Algorithm 1

- turn = 0, process 0 enters critical section
- process 1 is waiting to enter its critical section
- process 0 leaves critical section, turn = 1
- turn = 1, process 1 enters critical section
- process 1 leaves critical section, turn = 0
- Evaluation:
 - ◇ Mutual Exclusion: only one process in critical section at a time ✓
 - ◇ bounded waiting - the processes alternate ✓

Two Processes - Algorithm 1

- $turn = 0$, process 0 enters critical section
- process 1 is waiting to enter its critical section
- process 0 leaves critical section, $turn = 1$
- $turn = 1$, process 1 enters critical section
- process 1 leaves critical section, $turn = 0$
- Evaluation:
 - ◇ Mutual Exclusion: only one process in critical section at a time ✓
 - ◇ bounded waiting - the processes alternate ✓
 - ◇ **progress** - $turn = 0$, process 1 is waiting to enter its critical section, process 0 is outside of the critical section but in an infinite loop.



Two Processes - Algorithm 2

- Shared Variables
boolean flag[2] (both initially false)
- Process P_i
do {
 flag[i] = true;
 while (flag[j]);
 critical section
 flag[i] = false;
 remainder section
} while (1);
- flag is used to indicate if the process is waiting for or in the critical section

Two Processes - Algorithm 2

- $\text{flag}[0] = \text{false}$, $\text{flag}[1] = \text{false}$
- process 0 - $\text{flag}[0] = \text{true}$, $\text{flag}[1] = \text{false}$, enter critical section
- process 1 - $\text{flag}[1] = \text{true}$, $\text{flag}[0] = \text{true}$, start looping
- process 0 - leave critical section, $\text{flag}[0] = \text{false}$
- process 1, $\text{flag}[0] = \text{false}$, stop looping, enter critical section
- process 1 – leave critical section

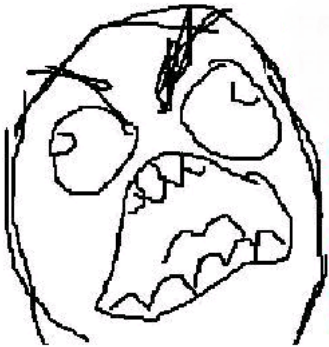
Satisfies mutual exclusion ✓

Two Processes - Algorithm 2

- $\text{flag}[0] = \text{false}$, $\text{flag}[1] = \text{false}$
- process 0 - $\text{flag}[0] = \text{true}$, $\text{flag}[1] = \text{false}$, enter critical section
- process 1 - $\text{flag}[1] = \text{true}$, $\text{flag}[0] = \text{true}$, start looping
- process 0 - leave critical section, $\text{flag}[0] = \text{false}$
- process 1, $\text{flag}[0] = \text{false}$, stop looping, enter critical section
- process 1 – leave critical section

Two Processes - Algorithm 2

- $\text{flag}[0] = \text{false}$, $\text{flag}[1] = \text{false}$
- process 0 - $\text{flag}[0] = \text{true}$, ****interrupt****
- process 1 - $\text{flag}[1] = \text{true}$, $\text{flag}[0] = \text{true}$, start looping
- process 0 - $\text{flag}[1] = \text{true}$, start looping



- Both processes in infinite loop, neither get to enter critical section, therefore no progress
- **Entry to critical section contains a race condition**
- **Entry to critical section contains a critical section**

Two Processes - Algorithm 3

- Combine Alg 1 and Alg 2

- Process P_i

do {

flag[i] = true;

turn = j

while (flag[j] and turn = j);

critical section

flag[i] = false;

remainder section

} while (1);

- Meets all three requirements - Peterson's Solution

Two Processes - Algorithm 3

- $\text{flag}[0] = \text{false}$, $\text{flag}[1] = \text{false}$, $\text{turn} = 0$
- process 0 - $\text{flag}[0] = \text{true}$, $\text{turn} = 1$, $\text{flag}[1] = \text{false}$:
enter critical section
- process 1 - $\text{flag}[1] = \text{true}$, $\text{turn} = 0$, $\text{flag}[0] = \text{true}$:
start looping
- process 0 - exit critical section, $\text{flag}[0] = \text{false}$
- process 1 - $\text{flag}[0] = \text{false}$: enter critical section

Two Processes - Algorithm 3

- $\text{flag}[0] = \text{false}$, $\text{flag}[1] = \text{false}$, $\text{turn} = 0$
- process 0 - $\text{flag}[0] = \text{true}$, $\text{turn} = 1$, **interrupt!!**
- process 1 - $\text{flag}[1] = \text{true}$, $\text{turn} = 0$, $\text{flag}[0] = \text{true}$: start looping
- process 0 $\text{flag}[1] = \text{true}$, but $\text{turn} = 0$: enter critical section

Two Processes - Algorithm 3

- $\text{flag}[0] = \text{false}$, $\text{flag}[1] = \text{false}$, $\text{turn} = 0$
- process 0 - $\text{flag}[0] = \text{true}$, **interrupt!!**
- process 1 - $\text{flag}[1] = \text{true}$, $\text{turn} = 0$, $\text{flag}[0] = \text{true}$: start looping
- process 0 - $\text{turn} = 1$, $\text{flag}[1] = \text{true}$: start looping
- process 1 - $\text{flag}[0] = \text{true}$, but $\text{turn} = 1$: enter critical section
- Mutual Exclusion, Progress, Bounded Waiting are all satisfied!!!
- Works for 2 processes, how about 3 or more?



n Processes - Bakery Algorithm

- Not in Version 7 or 8 of Textbook (But we cover it anyway)
- Based on pick a number in Bakery, Deli's, Government offices.
- Pick the next number (smallest number goes first)
- **Problem:** picking the number
- Numbers are monotonic increasing (1,2,3,3,4,5,5,...)
- numbers not unique
- ◇ tie goes process with lowest PID.

n Processes - Bakery Algorithm

```
do {  
    choosing[i] = true;  
    num[i] = max(num[0],...,num[n]) + 1  
    choosing[i] = false;  
    for (j = 0; j < n; j++){  
        while(choosing[j]);  
        while(num[j] != 0 &&  
            ((num[j],j)<(num[i],i))) *  
    }  
    critical section  
    num[i] = 0;  
    remainder section  
} while(1);
```